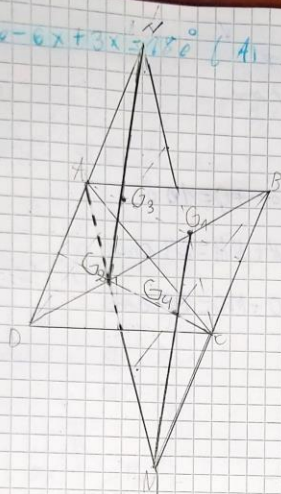


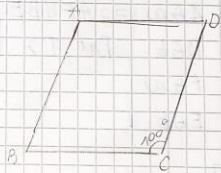
$$3x + 180 - 6x + 3x = 180 \quad (A)$$



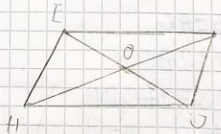
Evaluare sumativă

$$\begin{aligned} 1. \angle D &= \frac{360^\circ - (\angle A + \angle C)}{2} \\ &= \frac{360^\circ - 200^\circ}{2} \\ &= 80^\circ \end{aligned}$$

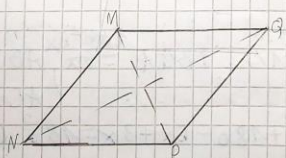
R.  $80^\circ$



2. R. DEF și HG



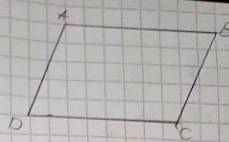
3.



R.  $90^\circ$

4.

$$\begin{aligned} P &= 2AB + 2BC \\ P &= 2 \cdot 0,8BC + 2BC \\ 54 &= 1,6BC + 2BC \\ 54 &= 3,6BC \\ BC &= 15 \end{aligned}$$

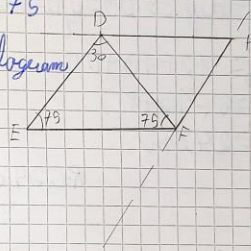


$$\begin{aligned} AB &= 0,8BC \Rightarrow AB = 0,8 \cdot 15 \Rightarrow AB = 12 \\ AB &= CD \Rightarrow CD = 12 \end{aligned}$$

R. B. 12 cm

5.

$$\begin{aligned} \triangle DEF \text{ ins.} &\Rightarrow \angle E = \angle F = \frac{180^\circ - 30^\circ}{2} = 75^\circ \\ PF \parallel DE \text{ (inv.)} & \\ DP \parallel EF \text{ (ip.)} & \Rightarrow DPFE \text{ paralelogram} \\ \Rightarrow DF &= \text{diag.} \end{aligned}$$

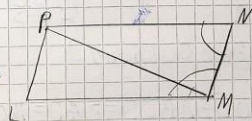


$$\begin{aligned} \angle PDE &= \angle FED = 75^\circ \\ \angle PFD &= \angle EDF = 30^\circ \\ \angle P &= 180^\circ - 105^\circ \\ &= 75^\circ \end{aligned}$$

R.  $75^\circ$

6. LMNP - paralelogram

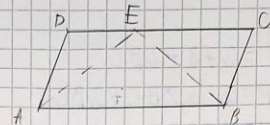
$$\begin{aligned} PN \parallel LM & \\ MN = NC & \Rightarrow \angle LMN = \angle MNP = \\ &= 180^\circ \text{ (d.a. p. a sec.)} \\ & \text{R.D. } 180^\circ \end{aligned}$$



7.

$$\begin{aligned} A + B &= 180 \\ \angle_1 + \angle_2 &= 90 \\ \angle AEB &= 180^\circ - 90^\circ \\ &= 90^\circ \end{aligned}$$

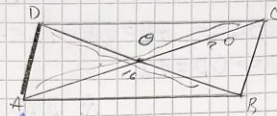
R. B.  $90^\circ$



8.

$$\begin{aligned} ABCD &= \text{paral.} \\ AD &= BC = 6 \text{ cm} \\ AC &= \text{diag.} \Rightarrow AO = OC = \frac{10}{2} \text{ cm} \\ DB &= \text{diag.} \Rightarrow DO = OB = \frac{8}{2} \text{ cm} \\ P_{ADO} &= AD + AO + DO \\ &= 6 + 5 + 4 \\ &= 15 \text{ cm} \end{aligned}$$

R. C. 24 cm

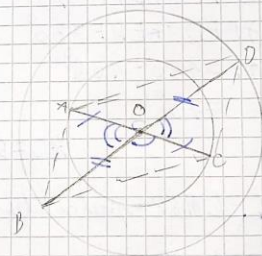


II

$$\begin{aligned} G \cap G_2 &= O_5 \\ AO &= CO = r \\ BO &= OD = r \\ AO &= OC \\ BO &= OD \\ \angle AOD &= \angle BOC \text{ (o.v.)} \end{aligned}$$

$$\Rightarrow \triangle AOD \cong \triangle BOC \Rightarrow AD = BC \quad (1)$$

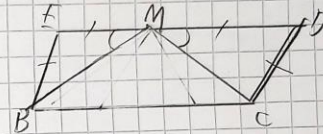
$$\begin{aligned} AO &= OC \\ BO &= OD \\ \angle AOB &= \angle DOC \text{ (o.v.)} \end{aligned} \Rightarrow \triangle AOB \cong \triangle DOC \Rightarrow AB = DC \quad (2)$$



dim 1 & 2  $\Rightarrow$  ABCD-paral.  $\Rightarrow$   $AB \parallel CD$   
b)  $\nabla$  ABCD-paral.  $\Rightarrow$   $\nabla ABC \cong \nabla ADC$

2.

$BC = 2PC$   
M-mid. lat. DE  $\Rightarrow$   $EM = MD$  }  $\Rightarrow$



$\Rightarrow BE = EM = MD = PC$

$\triangle BEM$  - isos.

$\triangle MDC$  - isos.